

Use  $\triangle WXY$ , where  $R, S,$  and  $T$  are midpoints of the sides.

1.  $\overline{RS} \parallel \overline{WY}$

2.  $\overline{ST} \parallel \overline{XW}$

3. If  $TY = 4$ , then  $RS = 4$ .

4. Find  $x$  if  $RT = x^2 + 2x$  and  $XY = 10x + 32$

$2(x^2 + 2x) = 10x + 56$

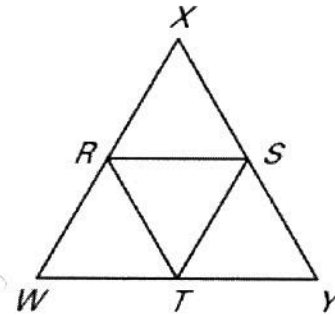
$2x^2 + 4x = 10x + 56$

$2x^2 - 6x - 56 = 0$

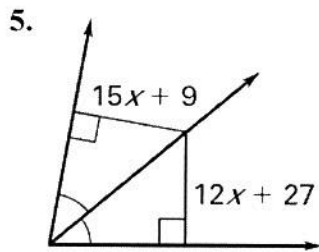
$x^2 - 3x - 28 = 0$

$(x - 7)(x + 4) = 0$

$x = 7 \quad x = -4$



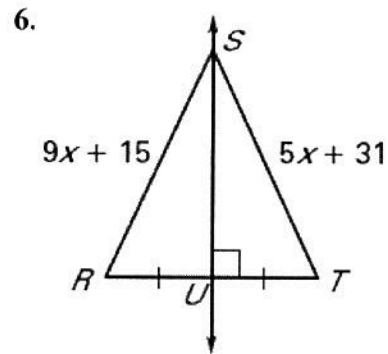
Find the value of  $x$  and give the theorem that justifies your answer.



$15x + 9 = 12x + 27$  by  $\angle$  Bis Thm.

$3x = 18$

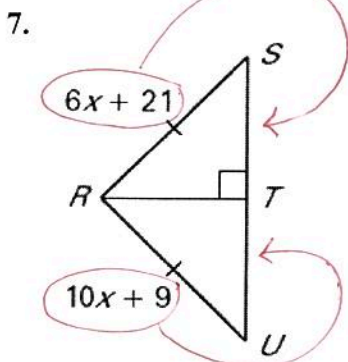
$x = 6$



$9x + 15 = 5x + 31$  by Perp. Bis Thm

$4x = 16$

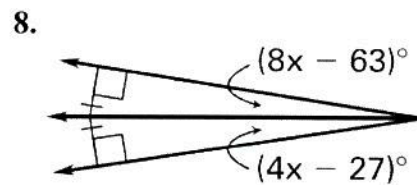
$x = 4$



$6x + 21 = 10x + 9$  by Perp Bis Conv.

$12 = 4x$

$3 = x$



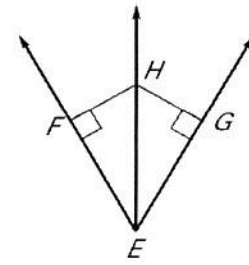
$8x - 63 = 4x - 27$  by  $\angle$  Bis Conv.

$4x = 36$

$x = 9$

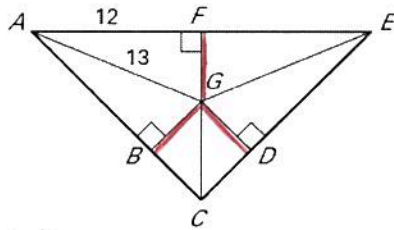
9. Can you conclude that  $\overline{EH}$  bisects  $\angle FEG$ ? Explain.

No, you would need to know  $FH = HG$  to apply the  $\angle$  Bis Conv.



Find the indicated measure.

10. If  $G$  is the incenter, find  $DG$ .



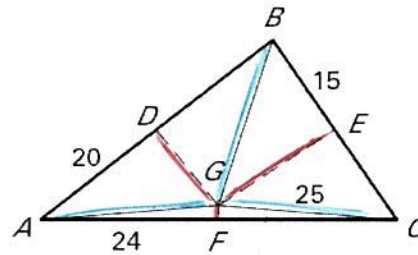
$$13^2 = 12^2 + FG^2$$

$$\sqrt{169 - 144} = FG$$

$$\sqrt{25} = FG$$

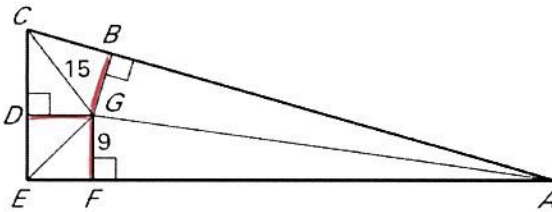
$$5 = FG = DG$$

11. If  $G$  is the circumcenter, find  $AG$ .

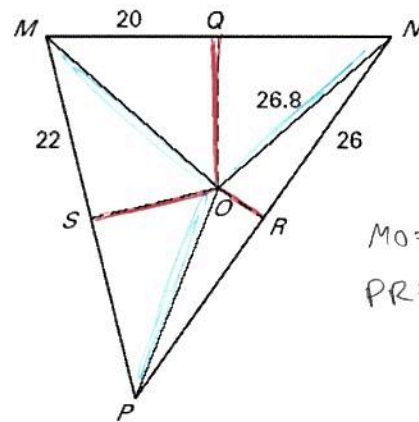


$$AG = 25$$

12. If  $G$  is the incenter, find  $BG$ .



13. If  $O$  is the circumcenter, find  $MO$  and  $PR$ .



$$MO = 26.8$$

$$PR = 26$$

14. GIVEN:  $\overline{NP}$  is a perpendicular bisector of  $\overline{MO}$ .  
PROVE:  $\triangle NMR \cong \triangle NOR$

- ①  $\overline{NP}$  is  $\perp$  bis of  $\overline{MO}$
- ②  $\overline{NM} \cong \overline{NO}$
- ③  $\overline{RM} \cong \overline{RO}$
- ④  $\overline{NR} \cong \overline{NR}$
- ⑤  $\triangle NMR \cong \triangle NOR$

- ① Given
- ② Perp Bis Thm
- ③ Perp Bis Thm
- ④ Reflexive
- ⑤ SSS  $\cong$  Postulate

