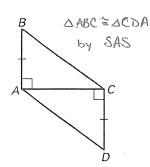
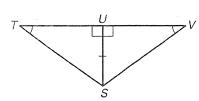
Tell which triangles you can show are congruent in order to prove the statement. What postulate or theorem would you use?

1.
$$\overline{BC} \cong \overline{AD}$$

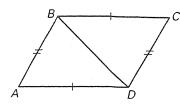


2.
$$\angle TSU \cong \angle VSU$$

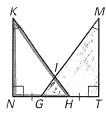


ATUS ZAVUS by AAS

3.
$$\angle ADB \cong \angle CBD$$

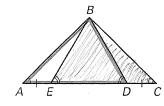


4.
$$\angle KHN \cong \angle MGT$$



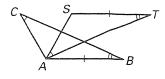
AKNH = AMTG by AAS

5.
$$\overline{BD} \cong \overline{BE}$$



DABD=ACBE by ASA

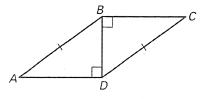
6. $\overline{BC} \cong \overline{AT}$



ABC= ASTA by AAS

Use the diagram to write a plan for a proof.

7. PROVE: $\angle DAB \cong \angle BCD$

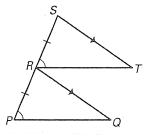


- O AB = CD (1) Given LCBD and LADB are It L'S
- @ Def of rt d's (2) A CBD and AADB are It A's
- ③ 肠主肠

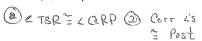
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- 3 Refl. Prop
- (A) AADB= ACBD (A) HL = Thin
- 3 2DAB = LBCD & CPCTC

8. PROVE: $\overline{ST} \cong \overline{RQ}$



1 Given (1) 家主南 ST 11 RQ LSRTELP



- 3 ASRT = ARPQ 3 M ASA
- @ 37 = RQ @ CPCTC

irmula

Formula

LESSON 4.7

Practice B continued

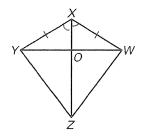
For use with the lesson "Use Congruent Triangles"

11. Proof Complete the proof.

GIVEN: $\overline{YX} \cong \overline{WX}$

 \overline{ZX} bisects $\angle YXW$.

PROVE: $\overline{YZ} \cong \overline{WZ}$



Statements

(§) 1. $\overline{YX} \cong \overline{WX}$

2. \overline{ZX} bisects $\angle YXW$.

- A 3. $\angle YXZ \cong \angle WXZ$
- \bigcirc 4. $\overline{XZ} \cong \overline{XZ}$

5. $\triangle YXZ \cong \triangle WXZ$

6. $\overline{YZ} \cong \overline{WZ}$

Reasons

1. ? Given

3. ? Def of send bisector

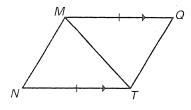
4. ? Reflexive Prop.

5. ? SAS = Post

6. ? CPCTC

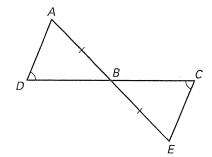
Use the information given in the diagram to write a proof.

12. PROVE: $\overline{MN} \cong \overline{TQ}$



- (S) O MQ "NT MQ II NT
 - 1 Given
- A @ ZOMT = ZNTM
- (2) Alt Int L's Thin
- S3 MT & MT
- 3) Refl. Prop.
- 4 AMOTE ATHM
- a) SAS = Post
- (3) AN = TQ
- 3 CPCTC

13. PROVE: $\overline{DB} \cong \overline{CB}$



- ASO LDELC; AB = BE
- @ @ CABD = LCBE
- 3 DABD = DEBC
- (3) AAS全Thin
- (A) DB = CB
- (4) CPCTC